

ECON4261 - Quasi-Experiments: The Child Penalty

Joseph Mullins

Introduction

- The paper: Children and Gender Inequality: Evidence from Denmark by Kleven, Landais, and Sørensen. *American Economic Journal: Applied Economics*, 2019, 11(4)

Introduction

- The paper: Children and Gender Inequality: Evidence from Denmark by Kleven, Landais, and Sørensen. *American Economic Journal: Applied Economics*, 2019, 11(4)
- Background: fertility is thought to be a major driver of wage gaps (recall facts from the CPS on this!)
 - Reductions in experience
 - Effects promotions
 - Statistical discrimination
 - Selection into occupation

Introduction

- The paper: Children and Gender Inequality: Evidence from Denmark by Kleven, Landais, and Sørensen. *American Economic Journal: Applied Economics*, 2019, 11(4)
- Background: fertility is thought to be a major driver of wage gaps (recall facts from the CPS on this!)
 - Reductions in experience
 - Effects promotions
 - Statistical discrimination
 - Selection into occupation
- Paper estimates the “child penalty” - the effect of birth of the first child on earnings and employment - and uses some descriptive methods to explore potential mechanisms.

Methodology Part (1): Raw Estimates

Main specification for person of gender g at event-time t and year s

$$Y_{ist}^g = \sum_{j \neq -1} \alpha_j^g \mathbf{1}\{j = t\} + \sum_k \beta_k^g \mathbf{1}\{k = age_{is}\} + \sum_y \gamma_y^g \mathbf{1}\{y = s\} + \nu_{nst}^g$$

Methodology Part (1): Raw Estimates

Main specification for person of gender g at event-time t and year s

$$Y_{ist}^g = \sum_{j \neq -1} \alpha_j^g \mathbf{1}\{j = t\} + \sum_k \beta_k^g \mathbf{1}\{k = \text{age}_{is}\} + \sum_y \gamma_y^g \mathbf{1}\{y = s\} + \nu_{nst}^g$$

Notes:

- $t = 0$ is the year of first (the “event”) for each individual
- Model is identified from variation in the **timing** of the first birth

Methodology Part (1): Raw Estimates

Main specification for person of gender g at event-time t and year s

$$Y_{ist}^g = \sum_{j \neq -1} \alpha_j^g \mathbf{1}\{j = t\} + \sum_k \beta_k^g \mathbf{1}\{k = age_{is}\} + \sum_y \gamma_y^g \mathbf{1}\{y = s\} + \nu_{nst}^g$$

Notes:

- $t = 0$ is the year of first (the “event”) for each individual
- Model is identified from variation in the **timing** of the first birth
- Convert α_t^g to a percentage effect by calculating:

$$P_t^g = \frac{\alpha_t^g}{\mathbb{E} \left[\sum_k \beta_k^g \mathbf{1}\{k = age_{is}\} + \sum_y \gamma_y^g \mathbf{1}\{y = s\} \right]}$$

Methodology Part (2): Decomposition

Allow for differences in the child penalty by year:

$$Y_{ist}^g = \sum_y \sum_{j \neq -1} \alpha_{yj}^g \mathbf{1}\{j = t\} \mathbf{1}\{y = s\} + \sum_k \beta_k^g X_{kns} + \nu_{nst}^g$$

Methodology Part (2): Decomposition

Allow for differences in the child penalty by year:

$$Y_{ist}^g = \sum_y \sum_{j \neq -1} \alpha_{yj}^g \mathbf{1}\{j = t\} \mathbf{1}\{y = s\} + \sum_k \beta_k^g X_{kns}^g + \nu_{nst}^g$$

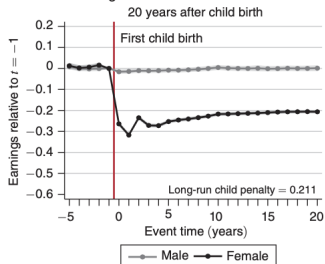
and decompose the wage gap into potential sources in year s :

$$\Delta_s = \mathbb{E}[\alpha_{st}^m - \alpha_{st}^w | s] + \sum_k (\beta_k^m - \beta_k^f) \mathbb{E}[X_{kns}^m] + \sum_k \beta_k^w \mathbb{E}[X_{kns}^m - X_{kns}^w]$$

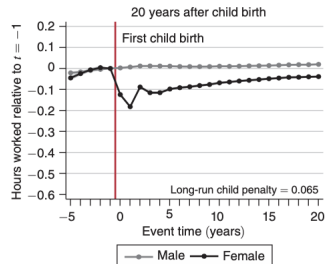
Important: X_{kns} must not be anything that can be affected “downstream” causally by childbirth. Think pre-birth measures of investment such as education and initial occupation.

Results

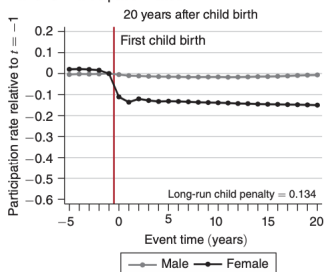
Panel A. Earnings



Panel B. Hours worked



Panel C. Participation rates



Panel D. Wage rates

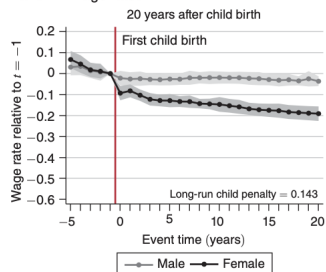


FIGURE 2. IMPACTS OF CHILDREN IN THE VERY LONG RUN

Results

Panel B. Child-related gender inequality versus education-related gender inequality (post-child effects versus pre-child effects)

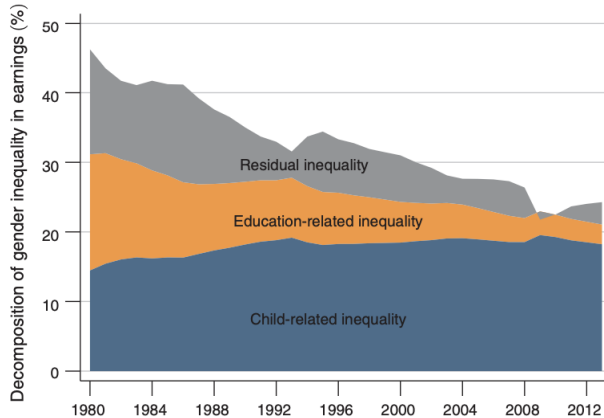


FIGURE 5. DECOMPOSING GENDER INEQUALITY IN EARNINGS

Robustness

They test their estimates of the child penalty two ways:

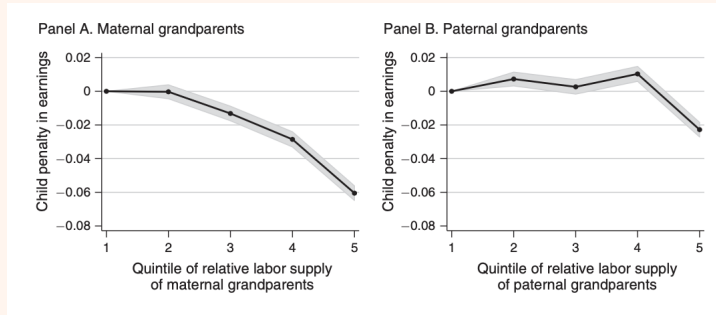
- Extend the data to include individuals who never have children. These are used to form a control group in a difference-in-difference estimator. **Same results.**
- Compare the model's estimates of the effect of birth of a third child to IV estimates of the effect using the gender ratio of the first two children as an instrument. **Same results.**

Last Exercise

The authors estimate penalties separately by relative work experience of maternal and paternal grandparents.

Last Exercise

The authors estimate penalties separately by relative work experience of maternal and paternal grandparents.



Suggests some kind of **intergenerational mechanism**.

Two Comments

- In general I find the results quite convincing, but...
- The model estimates imply that the first child has a positive effect on outcomes for women in the 5 years prior. This seems fishy and they don't comment on it at all.

Two Comments

- In general I find the results quite convincing, but...
- The model estimates imply that the first child has a positive effect on outcomes for women in the 5 years prior. This seems fishy and they don't comment on it at all.
- When you don't normalize by the outcome variables, the raw effects are quite big for men as well as for women (will see this in recitation). No comment on this. Do we believe those results also?

Two Comments

- In general I find the results quite convincing, but...
- The model estimates imply that the first child has a positive effect on outcomes for women in the 5 years prior. This seems fishy and they don't comment on it at all.
- When you don't normalize by the outcome variables, the raw effects are quite big for men as well as for women (will see this in recitation). No comment on this. Do we believe those results also?
- Selection on timing of first birth could be driving all the results.